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The University reserves the right to withdraw or modify the course of instruction or to change the instructor at any time.

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(binding)

Yale College
Programs of Study

Fall and Spring Terms

1984 - 1985

No mention of
winter term suggests
terms are semesters.



gram must be approved by his dean and adviser, and every reasonable program will be approved. A student whose program departs markedly from the Guidelines will be obliged to persuade the Residential College Dean and faculty program adviser that it will still achieve for the student in its own way the goals of a liberal education.

MAJOR PROGRAMS

Students seeking the B.S. or the B.A. degree with a major in science are expected to elect their majors at the beginning of Sophomore year, although a major in science may still be elected later if the student has completed the courses required to enter it. Sophomores interested in majoring in science should have their schedules approved by the Director of Undergraduate Studies or adviser designated by the department in which they wish to major. Students seeking the B.A. degree with a major in a field other than science are expected to elect their major at the beginning of Junior year. The schedules for Sophomore year of these students must be signed by the Sophomore adviser, chosen by the student, with whom the program has been discussed.

All candidates for a bachelor's degree in Yale College must elect one of the major programs listed on page 28. The requirements for a major are described in general terms in the sections below, and in more detail at the beginning of the course descriptions of each department or program in CHAPTER III. In every case students plan their schedule of courses in their major subjects or fields in consultation with a representative of the department or program concerned, and must secure the consultant's written approval. Students should acquaint themselves fully with all the requirements of the major they plan to enter, considering not only the immediate choice of courses but also the plan of their entire work in the last two or three years in college.

SELECTION OF A MAJOR

In designing a program of study, the student ought to plan for depth of concentration as well as breadth of scope. To study a subject in depth can be one of the most rewarding and liberating experiences a person can secure and can form the basis of the interests and occupations of a lifetime. Although no one should specialize to the neglect of distribution, knowledge advances by specialization, and one can gain some of the excitement of discovery by pressing toward the outer limits of human knowledge in a particular field. Intense study of a seemingly narrow area of investigation will often disclose ramifications and connections that alter perspectives on every other subject. Such study also sharpens a person's judgment and acquaints him with processes by which new truths can be found.

In order to expose themselves to this kind of experience, students must choose a field of study that will be their major field, that is, the subject in which they will work more intensively than they do in any other. A list of possible majors in Yale College from which such a choice is to be made is given below on page 28. Specific requirements for each major are established by the department or program concerned and are explained in CHAPTER III.

Some students will have made a tentative choice of a major before entering college. Others will have settled on a general area—for example,

sciences or the humanities—without being certain of the particular department or program they intend to major in. Still others will be undecided. Past experience shows that students who arrive with a tentative choice made up often change them after a year or two. Even students who are certain of their choice should keep open the possibility of a change. In selecting courses during the first two years, students should have in mind not only the application of the Guidelines described above, but also the need for a preliminary exploration of the subjects to which they are drawn, in order to become aware of their own tastes, talents, and

In the case of the Guidelines, the student should make the final choices before entering a program, but once again, a few general principles may help in selecting courses.

In the case of the humanities and social sciences, there is some progression from elementary to advanced courses. It is possible to begin a major in, for example, English, psychology, or history at the end of the Sophomore year, where there are few prerequisites, and students may satisfy them in either the Sophomore or Sophomore year, or even, in some cases, on the basis of work done in secondary school.

In some other fields of study, such as the natural sciences and such as foreign languages and literatures, a sequence of courses must be followed in chronological order from the Freshman to the Senior year. In order to begin in one of these fields, the student must lay the groundwork in the Freshman year. If the initial courses are missed in the Freshman year, it may be necessary to begin a major in these subjects in the Sophomore year. The Sophomore courses are prerequisites for the Sophomore courses, and so on. In order, therefore, to attain the maximum range and freedom of choice for the upperclass years, each student should think seriously about the possible choices of a major before arriving at college. A student who has a remote interest in majoring in a science should be sure to include in the work of the Freshman year a course in mathematics and probably two courses in the natural sciences, one of these preferably in chemistry.

No matter what major a student selects, the knowledge of a foreign language required in the Distributional Requirements for the Bachelor's degree will be found to be useful in his studies. Students who cannot comfortably read a foreign language would be well advised to take during Freshman and Sophomore year courses that will enable them to do so. Anyone who plans to do postgraduate study should keep in mind that the requirements for a graduate degree usually include a reading knowledge of two foreign languages, commonly French, German, or Russian.

When the courses open to Freshmen will continue work they began in secondary school. Students will probably want to choose some of their Sophomore courses in areas in which they have already acquired some familiarity and interest, but for the sake of intellectual stimulation and to avoid being overly limited in their range of future choices, they should also elect some courses in fields that are wholly new to them.

THE MAJOR (B.A. OR B.S.)

The major consists of a number of courses in the same area. A major usually includes twelve term courses taken for the most part in the Sophomore and Senior years. Majors are offered by departments or by interdepartmental or interdisciplinary programs. In many departments and pro-

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Comparative Literature* 316a/English* 184a (26416), RENAISSANCE LYRIC POETRY. Thomas Greene.

MW 2.30-3.45 Not CR/F I(o)

Readings in Petrarch, Ronsard, Du Bellay, Wyatt, Shakespeare, and Donne, with special attention to the relationship between language and selfhood, as well as the relationship between inherited traditions and individuality. *Prerequisite: reading knowledge of French.*

Comparative Literature* 355b/English* 302b (26453), JOYCE AND MANN. James Snead.

MW 1.30-2.45 Not CR/F I(o)

A comparison of the major works of Joyce and Mann in light of their implications for the development of the twentieth-century novel, with particular emphasis on *Ulysses* and *The Magic Mountain*. Alternate reading of works by two writers with focus on the transformation of mythic and philosophical sources; medievalism; typical rhetorical figures and modes; anti-traditional critical reception. *Reading knowledge of German required for Comparative Literature majors, recommended for others. Texts available in translation.*

**Comparative Literature* 366b (26466), EIGHTEENTH- AND NINETEENTH-CENTURY NARRATIVE FICTION. Claudia Brodsky.

TH 1.30-2.45 Not CR/F I(o)

Close readings of English, German, French, and American narrative fiction. Analysis of the relation between the discursive and representational dimensions of fiction in forms ranging from early epistolary and journal novels, short first-person narratives, to authorial narrations and narrative realism. Texts include works by Richardson, Diderot, Goethe, Goldsmith, Laclos, Kleist, Balzac, Austen, Melville, Balzac, and Dickens. *Reading knowledge of French recommended for Comparative Literature majors, recommended for others.*

**Comparative Literature* 368b (26468), SHORT PROSE OF THE TWENTIETH CENTURY. Howard Stern.

MW 3.30-4.45 I(o)

An investigation of an area delimited by several genres, including the poem, feuilleton, philosophical aphorism, and essay, with emphasis on the critical issues of poetics, interpretation, and translation. Works by Kafka, Brecht, Ponge, Calvino, and others. *Reading knowledge of French, German, or Italian required for Comparative Literature majors, recommended for others.*

**Comparative Literature* 488a or b (26488), DIRECTED READING AND/OR INDIVIDUAL RESEARCH. David Marshall and staff.

Hours to be arranged with adviser Not CR/F I(o)

Special projects set up by the student in an area of his own particular interest with the help of a faculty adviser and the Director of Undergraduate Studies intended to enable the student to cover material not otherwise offered in the department. The project must terminate with at least a term paper or its equivalent, and must have the approval of the Director of Undergraduate Studies. *Enrollment limited to Comparative Literature majors.*

**Comparative Literature* 489a (26489), THE SENIOR COLLOQUIUM. Jennifer Wicke and staff.

T 8-10 P.M.; disc. Th 1 HTBA Not CR/F I(o)

For description see Literature 489a. *For Senior Comparative Literature majors only.*

Comparative Literature 491a or b (26491), SENIOR ESSAY.

Not CR/F I(o)

An independent writing and research project required of all Comparative Literature majors. A prospectus signed by the student's adviser must be submitted to the office of the Director of Undergraduate Studies by the end of the second week of the term in which the essay is to be written. A rough draft must be submitted to the adviser and to the Director of Undergraduate Studies approximately one month before the final draft is due. Essays are normally 25 to 30 pages long.

HENRY LUCE COURSE, 1984-85

Henry Luce Seminar 184a/**History* 390a (65202), THE ORIGINS OF THE WITCHES' SABBAT. Carlo Ginzburg.

TH 1.30-3.20 II(o)

Examination of the emergence of the notion of witches' sabbat in late medieval Europe. Focus on learned stereotypes (lay and clerical) as well as on folk culture (myths and rituals). Readings from demonological treatises (e.g., Sprenger and Institor, de Lancre, and others), Inquisitorial trials, sixteenth- and twentieth-century literature on folklore, history of religions, etc. Knowledge of Latin, French, German, or Italian recommended but not required.

For further information about the Henry Luce Course, see CHAPTER I.

Enrollment limited to 30. Students wishing to enroll must register for the seminar in Room 112, Whitney Humanities Center, 53 Wall Street, on September 26, 1984.

MATHEMATICS

(See also APPLIED MATHEMATICS)

Director of Undergraduate Studies: Walter Feit, 210 LOM.

MEMBERSHIP OF THE DEPARTMENT OF MATHEMATICS

PROFESSORS

George Aaboe
Richard Beals (Chairman)
Wald Coifman
Walter Feit
Edward Garland
Roger Howe
Eric Lang
Koenig Lee
Thomas Macintyre
William Massey
Robert Moncrief

George Mostow
Ilya Piatetski-Shapiro
David Pollard
George Seligman
Robert Szcarba
Tsuneo Tamagawa
Gregg Zuckerman

ASSISTANT PROFESSORS

Nathan Habegger
Neil Immerman
Rudolf Schmid

J. W. GIBBS INSTRUCTORS

Guy David
Douglas Pickrell
Philip Scowcroft
Allen Shepard
Alexander Suci
Simon Thomas
Paul Vojta

LECTURER

Frank Ryan

The course offerings and the major in Mathematics reflect the many roles of mathematics itself: as the language and tool of the sciences, as a cultural phenomenon with a rich historical tradition, and as a model of abstract reasoning. The Mathematics major provides a broad education in various areas of mathematics in a program flexible enough to accommodate many areas of interest.

B.A. and B.S. degree programs. The B.A. degree program normally consists of four term courses in Mathematics numbered 222a or b or higher. Each student is expected to take either Mathematics 230 or its equivalent: Math-

ematics 222a or b and 250a. He is also expected to take at least two courses in each of three of the following categories: analysis (250a or courses between 300 and 349); statistics and applied mathematics (courses between 241 and 260, except 250a); algebra and number theory (222a or courses between 350 and 399); geometry and topology (courses between 400 and 449); logic and foundations (courses between 450 and 469 and 270a). All Mathematics majors are urged to take at least one of 222a or Computer Science 221a or b or 44-0a, which may be counted as a term course in applied mathematics. In some instances permission may be granted to take additional required term courses in other departments (e.g., Computer Science, Engineering and Applied Science, History of Science, History of Medicine, Philosophy, Physics, Statistics).

A candidate for the B.S. degree must take, in addition to the term courses required for the major in Mathematics, at least two advanced term courses in the physical sciences, to be chosen with the approval of the Director of Undergraduate Studies.

Any student interested in mathematical research as a career is urged to take Mathematics 230, 301a, 305b, 310a, 350a, and 370b. A sample program in mathematics for such a student might consist of these courses plus 222a or b from Mathematics 430b, 435b, 270a, and 450b. Students with more interest in teaching mathematics or in applications of mathematics should seriously consider Mathematics 222a or b and 250a. A program for such a student might consist of Mathematics 222a or b, 241a, 242b, 246a or b, 250a, 301a, 350a, and 270a or 450b.

The intensive major. Candidates for a degree with an intensive major in Mathematics are expected to include at least two terms of graduate course work, or of equivalent independent study, in their programs. Familiarity with the material of the following courses should be considered prerequisite to graduate courses in the respective categories: *Algebra:* two courses in the range 350–399. *Analysis:* Mathematics 230, 246a or b, 301a, 305b, 310a. *Geometry and Topology:* Mathematics 250a, 350a. *Logic and Foundations:* Mathematics 270a, 450b, 456b.

Senior requirement. A student majoring in Mathematics is required during the Senior year to give an oral presentation on some topic selected by members of the faculty. In 1984–85, the department expects to provide, on an experimental basis, two or three mini-seminars which will cover topics not available in regular courses. Seniors may opt to take such a seminar as their Senior requirement instead of giving an oral presentation. For details, students should consult the Director of Undergraduate Studies at the beginning of fall term.

The following members of the department may be consulted by students through their Residential College affiliation:

BK, R. Schmid	MC, G. Seligman
BR, R. Lee	PC, G. Mostow
CC, N. Immerman	SY, R. Szczarba
DC, R. Howe	SM, R. Beals
TD, R. Coifman	BS, W. Feit
JE, T. Tamagawa	TC, W. Feit

THE MASTER'S DEGREE PROGRAM

Students who, by the end of their Senior year, complete the requirements of the department for the M.A. in Mathematics will be eligible to receive this degree at their Senior Commencement. Required are: (1) eight

numbered 500 or higher, most of which must be completed with a grade of High Pass or better; (2) a reading knowledge of mathematical literature in a foreign language of importance for mathematical research (usually French, German, or Russian); (3) satisfactory performance on a departmental oral examination.

The master's program is in no sense a substitute for the B.A. or B.S. program; it is designed to accommodate a very few exceptional students who, through means of accelerated or independent study, can satisfy the department as to their command of the content of the normal undergraduate program. Candidates must submit to the Director of Undergraduate Studies, during the first term of Sophomore year, a proposal which foresees this level of achievement by the end of Junior year. Their status and progress will be reviewed before they are permitted to continue in the program in Senior

year. At least two terms of graduate work are to be taken in the Junior year. Usually courses in algebra or analysis will be the first graduate courses taken. The general oral examination covers a list of topics available from the Director of Graduate Studies, and will be accepted in lieu of the usual departmental oral presentation. Details concerning the requirements for the master's degree may be obtained from the Director of Graduate Studies.

PLACEMENT IN COURSES

Qualified Freshmen and Sophomores may, *with the permission of the instructor,* take any of the courses numbered 222a or b or above.

Freshmen taking calculus are normally placed in Mathematics 111a, 112a, 116a, or 120a, according to their backgrounds and, in particular, to their scores in C.E.E.B. Achievement or Advanced Placement Tests. It is expected (but not absolutely required) that any Freshman applying for placement in an advanced course (i.e., 115a or higher) will have taken the Advanced Placement Test. All placement is subject to appeal and review during the

There are three basic calculus sequences, namely 111a–114b, 112a–115b, and 116a–117b. Each sequence consists of a semester of differential calculus followed by a semester of integral calculus. The main differences are in the emphasis. Mathematics 111a–114b is intended for students with weaker preparation, and the presentation will be paced to allow consolidation of basic techniques from algebra, analytic geometry, and trigonometry. Mathematics 112a–115b will presuppose these techniques, and will be most appropriate for well-prepared students who need calculus for applications. Mathematics 116a–117b is intended for students with a strong preparation and strong interest in mathematics, including the theoretical basis of the subject; theory, understanding, and problem solving will be stressed.

Students who take Mathematics 114b or 115b a student would naturally continue to take 116a or 222a or b. Mathematics 116a–117b will prepare a student for 230, 222a or b and 250a.

The material covered in Mathematics 230 is approximately that covered in 116a or b, 222a or b, and 250a. However, Mathematics 230 emphasizes mathematical rigor, while students taking Mathematics 120a or b combined with 222a or b and Mathematics 250a will spend more time on applications. Students who take Mathematics 230 should have a strong interest in abstract mathematics.

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REQUIREMENTS OF THE MAJOR

Prerequisite: None

Number of Courses: *B.A. Degree*—10 term courses; *B.S. Degree*—12 term courses

Distribution of Courses: *B.A. Degree*—2 courses in 3 categories chosen among (a) analysis, (b) statistics and applied math, (c) algebra and number theory, (d) geometry and topology, (e) logic and foundations, with course rank 2 or above; *B.S. Degree*—same, and 2 advanced-level courses in the physical sciences with approval of DUS

Specific Courses Required: Math 230 or the combination of Math 222a and 250a

Substitution Permitted: CompSci 221a or b or 440a; or courses in other departments, with permission of DUS

Senior Requirement: Oral presentation on topic selected by the faculty, or seminar

Intensive Major: 2 courses on graduate level counted among the required courses

***Mathematics E.C. (65500), MATHEMATICAL ANALYSIS.** Nathan Habegger
3 HTBA TC Not CR/F IV(50)

An introduction of some of the fundamental ideas of modern mathematics for a small group of Freshmen interested in the serious study of mathematics. The seminar is built around Mathematics 230, Vector Calculus and Linear Algebra, *which must be taken concurrently*. The Early Concentration courses expand the topics covered in Mathematics 230—the algebra of finite dimensional vector spaces and the usual notions of calculus extended to functions between these spaces—and apply them in other areas of mathematics. Possible additional areas include metric spaces, topological spaces, Hilbert spaces, Fourier series, and differential equations. Candidates for enrollment should have a strong preparation in mathematics, particularly in calculus, as shown by a score of 4 or above on the BC Advanced Placement Test in Mathematics or by other comparable indications. *Counts toward the major.*

INTRODUCTORY COURSES

These courses do not count toward the requirements of a major in Mathematics.

Mathematics 111a or b, CALCULUS I. Robert Szczarba [F], Asger Aaboe [F], and staff.

3 HTBA For sections see the Fall or Winter Supplement IV(69)
Fundamentals of calculus of functions of one variable, with discussion of elementary functions and analytic geometry as needed. No prior acquaintance with calculus is assumed. This course is suitable for students with moderate calculus background. *Not open to students who have completed Mathematics 112a or b.*

Mathematics 112a, CALCULUS OF FUNCTIONS OF ONE VARIABLE I. Serge Lang and staff.

3 HTBA For sections see the Fall Supplement IV(69)
Limits, continuity. Differentiation of elementary and transcendental functions, and applications. No prior acquaintance with calculus is assumed. *Not open to students who have completed Mathematics 110.**

*Last offered in 1983–84.

Mathematics 114b, CALCULUS II. Robert Szczarba and staff.

3 HTBA For sections see the Winter Supplement IV(69)
Continuation of Mathematics 111a. Change of variable in integrals, integration by parts, polar coordinates, computation of areas and volumes. Rudiments of the calculus of several variables, with applications. *After Mathematics 111a or 112a.*

Mathematics 115a or b, CALCULUS OF FUNCTIONS OF ONE VARIABLE II.

Edward Garland [F], Serge Lang [Sp], and staff.
3 HTBA For sections see the Fall or Winter Supplement IV(69)
Continuation of Mathematics 112a. The definite integral and the fundamental theorem of calculus. Techniques of integration. Polar coordinates. Taylor series. Physical and geometrical applications. *After Mathematics 110* or 112a, or 114b or 115b; open to Freshmen with some preparation in calculus.* One section that gives greater emphasis to applications is taught by a member of the Engineering faculty.

Mathematics 116a (65555), CALCULUS I: THEORY AND APPLICATIONS.

Wolfgang Schmid.
3 HTBA MWF 10.30-11.20 IV(33)
The content and prerequisites of 116a are similar to those of 112a, but the presentation is geared to students with a strong interest in abstract mathematics. *Open to students who have completed 111a or b, or 112a.*

Mathematics 117b (65556), CALCULUS II: THEORY AND APPLICATIONS.

Wolfgang Schmid.
3 HTBA MWF 10.30-11.20 IV(33)
Continuation of Mathematics 116a. The content is similar to that of Mathematics 115b differing only in terms of presentation, which emphasizes abstract mathematics as well as applications. *After Mathematics 111a, 112a, or 116a. Not open to students who have completed Mathematics 114b or 115b.*

Mathematics 120a or b, CALCULUS OF FUNCTIONS OF SEVERAL VARIABLES.

Thomas Lee [F], Ronald Coifman [Sp], and staff.
3 HTBA For sections see the Fall or Winter Supplement IV(69)
Analytic geometry in three dimensions, using vectors. Real-valued functions of two and three variables, gradient and directional derivative, level curves and surfaces, maxima and minima. Parametrized curves in space, motion in space, multiple integrals; applications. Multiple integrals, with applications. *After Mathematics 115a or b or by permission.* Two sections that give greater emphasis to applications are taught by members of the Engineering faculty in the fall term, and one in the spring.

INTERMEDIATE AND ADVANCED COURSES

These courses count toward the requirements of a major in Mathematics.

Mathematics 222a, LINEAR ALGEBRA AND MATRIX THEORY.

Lect A (65678) MWF 10.30-11.20 Douglas Pickrell IV(68)

Disc. I HTBA

Lect B (65679) TTh 9-10.15 George Mostow IV(68)

Disc. I HTBA

Introduction to the applications of vector spaces in algebra, analysis, and geometry. Matrix algebra, determinants, eigenvalues, quadratic forms, principal components, and linear programming.

*Last offered in 1983–84.

Mathematics 222b, LINEAR ALGEBRA AND MATRIX THEORY.

Lect A (65681) MWF 8.30-9.20 Peter Schultheiss IV(68)

Disc. I HTBA

Lect B (65682) MWF 9.30-10.20 Staff IV(68)

Disc. I HTBA

Lect C (65683) TTh 9-10.15 George Veronis IV(68)

Disc. I HTBA

(Students must enroll in a discussion section assigned to their lecture.)
The content of this course is identical to that of Mathematics 222a.
A emphasizes applications and is taught by a member of the Engineering Department.

***Mathematics 230 (65693), VECTOR CALCULUS AND LINEAR ALGEBRA.**

Walter Feit.

Lect MWF 11.30-12.20 IV(34)

Rec. I HTBA

A careful study of the calculus of functions of several variables, combined with linear algebra.

Mathematics 241a/Statistics 241a (97241), PROBABILITY THEORY.

John Hartigan.

MWF 9.30-10.20 IV(32)

For description see under Statistics.

Mathematics 242b/Statistics 242b (97242), THEORY OF STATISTICS.

I. Richard Savage.

MWF 9.30-10.20 IV(32)

For description see under Statistics.

Mathematics 246a or b (65712), ORDINARY DIFFERENTIAL EQUATIONS.

Roger Howe [F], Frank Ryan [Sp].

TTh 9-10.15 IV(21)

Numerical solution methods. Geometric and algebraic properties of differential equations. First-order equations, second-order equations, linear equations with constant coefficients. After *Mathematics* 120a or b or the equivalent.

Mathematics 250a (65716), VECTOR ANALYSIS. William Massey.

MWF 11.30-12.20 IV(34)

Calculus of functions of several variables, using vector and matrix methods. Implicit and inverse mappings. Transformation of coordinates. Theorems of Green, Gauss, and Stokes. Potential theory, with physical and geometric applications. After *Mathematics* 120a, 222b, or the equivalent.

Mathematics 260b (65726), ANALYTICAL METHODS. Ronnie Lee.

MWF 10.30-11.20 IV(33)

A unified treatment of several advanced methods of applied mathematics: the calculus of variations, partial differential equations, and Sturm-Liouville eigenvalue problems. After *Mathematics* 120a, 222b, 246a, or the equivalent.

Mathematics 270a (65736), SET THEORY. Simon Thomas.

MWF 10.30-11.20 IV(33)

Algebra of sets; finite, countable, and uncountable sets. Cardinal numbers and cardinal arithmetic. Order types and ordinal numbers. The axiom of choice and the well-ordering theorem. After *Mathematics* 120a or b or the equivalent.

***Mathematics 301a (65767), INTRODUCTION TO ANALYSIS.** Richard Beals.

TTh 1-2.15 Not CR/F IV(26)

An introduction to the theory of functions of real variables, including elements of set theory, metric spaces, and point set topology. After *Mathematics* 120a or the equivalent.

Mathematics 305b (65771), REAL ANALYSIS. Richard Beals.

TTh 1-2.15 Not CR/F IV(26)

Topics from the theory of functions of real variables, with emphasis on theory of integration and applications to Fourier analysis. After *Mathematics* 120a or by permission.

Mathematics 310a (65776), INTRODUCTION TO COMPLEX ANALYSIS.

Gregg Zuckerman.

MWF 10.30-11.20 IV(33)

An introduction to the theory and applications of functions of a complex variable. Differentiability of complex functions. Complex integration and Cauchy's theorem. Series expansions. Calculus of residues. Conformal mapping. After *Mathematics* 230 or 250a or the equivalent.

Mathematics 315b/515b (65781), INTERMEDIATE COMPLEX ANALYSIS.

Gregg Zuckerman.

MWF 10.30-11.20 IV(33)

Continuation of Mathematics 310a. Topics include argument principle, Rouché's theorem, Hurwitz theorem, Runge's theorem, analytic continuation, Schwarz reflection principle, Jensen's formula, infinite products, Weierstrass theorem. Functions of finite order, Hadamard's theorem, meromorphic functions, Mittag-Leffler's theorem, subharmonic functions. After *Mathematics* 310a.

Mathematics 320a/520a (65786), MEASURE THEORY AND INTEGRATION.

Stephen Semmes.

TTh 1-2.15 IV(26)

Construction and limit theorems for measures and integrals on general spaces; product measures; L^p spaces; integral representation of linear functionals on analytic sets. After *Mathematics* 301a or the equivalent.

Mathematics 325b/525b (65791), INTRODUCTION TO FUNCTIONAL ANALYSIS.

Guy David.

TTh 11.30-12.45 IV(24)

Hilbert, normed, and Banach spaces; geometry of Hilbert space, Riesz-Fischer theorem; dual space; Hahn-Banach theorem; Riesz representation theorem; linear operators; Baire category theorem; uniform boundedness, open mapping, and closed graph theorems. After *Mathematics* 320a.

Mathematics 350a (65816), AN INTRODUCTION TO ABSTRACT ALGEBRA.

Tsuneo Tamagawa.

MWF 1.30-2.20 IV(36)

Group theory. Rings, with emphasis on integral domains and polynomial rings; modules over Euclidean domains; applications to linear algebra. After *Mathematics* 222a or b or the equivalent.

Mathematics 353b/653b (65819), REPRESENTATIONS OF FINITE GROUPS.

Ilya Piatetski-Shapiro.

MWF 1.30-2.20 IV(36)

Basic theory of representations and characters of finite groups: orthogonality relations, induced representations, exceptional characters, Brauer's theorem. Applications to the structure of finite groups. Theorems of Burnside and Frobenius. After *Mathematics* 350a.

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[*Mathematics* 354b, NUMBER THEORY. 1985-86]

- **Mathematics* 370b (65836), FIELDS AND GALOIS THEORY. Paul Vojta.
MWF 1.30-2.20 IV(36)

The theory of fields and Galois theory, including finite fields, solvability of equations by radicals, and the fundamental theorem of algebra. *After Mathematics* 350a.

- **Mathematics* 400a (65866), INTRODUCTION TO MATHEMATICAL MECHANICS. Vincent Moncrief.
TTh 1-2.15 IV(26)

Newton's equations and the Galilean group; the Euler-Lagrange equations and Noether's theorem; the Kepler problem and rigid body motion; symplectic manifolds and Hamiltonian mechanics.

[*Mathematics* 430b, AN INTRODUCTION TO ALGEBRAIC TOPOLOGY. 1985-86]

- **Mathematics* 435b (65901), DIFFERENTIAL GEOMETRY. George Mostow.
TTh 9-10.15 IV(21)

Applications of calculus to the study of the geometry of curves and surfaces in Euclidean space, intrinsic differential geometric properties of manifolds, connections with non-Euclidean geometries and topology. *After Mathematics* 230 or 250a or the equivalent.

- Mathematics* 450b (65916), INTRODUCTION TO MATHEMATICAL LOGIC. Simon Thomas.
TTh 9-10.15 IV(21)

The propositional calculus, deduction, and semantic interpretation of the lower predicate calculus, completeness, axiomatic set theory, problems in the foundations of mathematics.

[*Mathematics* 456b/955b, RECURSIVE FUNCTION THEORY. 1985-86]

- **Mathematics* 460a (65926), PHILOSOPHICAL FOUNDATIONS OF MATHEMATICS. Philip Scowcroft.
2 HTBA Not CR/F IV(o)

Various philosophical positions with respect to the foundations of mathematics, including realism, constructivism, and finitism.

- Mathematics* 470a or b (65936), INDIVIDUAL STUDIES. Consult the Director of Undergraduate Studies.
Meets RP IV(o)

Individual investigation of an area of mathematics outside of those covered in regular courses, involving directed reading, discussion, and either paper or examination. A written plan of study approved by the student's advisor and the Director of Undergraduate Studies is required. The course may normally be elected for only one term.

COURSES IN OTHER DEPARTMENTS THAT ARE PARTICULARLY RELEVANT TO THE MAJOR

The following courses may, with the permission of the Director of Undergraduate Studies, be counted with Mathematics courses toward the requirements of the major.

Computer Science 221a or b (27347), INTRODUCTION TO COMPUTER SCIENCE. Dan Perlis.

- Th 1-2.15 Not CR/F IV(26)
For description see under Computer Science.

Management Sciences 235a (65235), LINEAR PROGRAMMING AND EXTENSIONS. Vincent Denardo.

- Th 2.30-3.45 Not CR/F IV(27)
For description see Management Sciences under Organization and Management.

Computer Science 440a/540a (27566), NUMERICAL COMPUTATION I. William Chan.

- MWF 1.30-2.20 Not CR/F IV(36)
For description see under Computer Science.

Computer Science 441b/541b (27567), NUMERICAL COMPUTATION II. William Gropp.

- MWF 1.30-2.20 Not CR/F IV(36)
For description see under Computer Science.

GRADUATE COURSES OF INTEREST

Each year the departments of Mathematics and Statistics offer a large number of graduate courses, some of which are accessible to advanced undergraduates. Further information may be obtained from the respective Directors of Undergraduate Studies whose permission, together with that of the relevant Director of Graduate Studies, is required for admission. Among the most basic graduate courses are:

Mathematics 501a, MODERN ALGEBRA.

Mathematics 544a, ALGEBRAIC TOPOLOGY.

Mathematics 600a, ADVANCED PROBABILITY.

MATHEMATICS AND PHILOSOPHY

The major allows students to explore those areas where philosophy and mathematics meet, in particular, mathematical and philosophical logic and the philosophy of mathematics.

The prerequisites for the major are Mathematics 120a or b and Philosophy 201. A total of twelve term courses in mathematics and philosophy is required. At least five of these should be in mathematics and at least five in philosophy. Required courses include Set Theory (Mathematics 270a), and Introduction to Mathematical Logic (Mathematics 450b), both of which should be taken before the end of the Junior year, although they should preferably be taken before that year. They also include:

- (a) Logical Theory II (Philosophy 440b),
 - (b) Recursive Function Theory (Mathematics 456b);
- and an advanced philosophy course (other than Philosophy 204a or 440b) with a substantive logical component;



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(3) one of the seminars designated as fulfilling the Senior requirement (see below).

Requirements (1), (2), and (3) must be satisfied separately; however, a student may satisfy (2) and (3) by taking two designated seminars, provided at least one of them is in Philosophy.

Senior requirement. Each year certain seminars offered by the Mathematics and Philosophy departments are designated as fulfilling the Senior requirement of this major. Subjects covered in these seminars vary from year to year. A student who selects one of them to satisfy requirement (3) above will be expected to give a presentation within the seminar on a topic selected in consultation with the instructor. These seminars may be taken at any time after a student has completed Mathematics 270a and Philosophy 204a.

The seminars fulfilling the Senior requirement for 1984-85 are Philosophy 449a, Probability, Induction, and Decision Theory; Philosophy 452b, Geometry and Physical Law; and Mathematics 460a, Philosophical Foundations of Mathematics.

A typical program satisfying the major might consist of: Mathematics 120a or b, 222a or b, 270a, 350a, 450b, and designated seminar;

Philosophy 110a, 204a, 222a, 440b, and designated seminars for presentation.

Majors should consult Walter Feit and Ruth Marcus or R. I. G. Hughes.

REQUIREMENTS OF THE MAJOR

Prerequisites: Math 120a or b, Phil 204a
Number of Courses: 12 term courses (within which total the prerequisites and Senior seminar are included)

Distribution of Courses: At least 5 in each subject

Specific Courses Required: Math 270a, 450b, and Math 450b or Phil 440b, and an advanced Phil course with substantive logical component

Senior Requirement: Senior seminar

MATHEMATICS AND PHYSICS

A minimum of fourteen term courses in mathematics and physics above the Sophomore level is required, with at least six in each of the two subjects. Senior essay on a topic appropriate for the combined major and acceptable to both the Physics and the Mathematics departments is also required. A student must present an oral report on this essay to the Mathematics department. Majors should consult Walter Feit and Edward Hinds.

REQUIREMENTS OF THE MAJOR

Prerequisites: Math 120a or b; Phys 150a, 151b, or 180a, 181b, or 200a, 201b, or 250a, 251b; and Phys 165La, 166Lb, or 205La, 206Lb

Number of Courses: 14 term courses above Sophomore level (within which the prerequisites and Senior essay are not included)

Distribution of Courses: At least 6 in each subject, Math at level 222 or above, Phys at level 300 or above

Specific Courses Required: None

Senior Requirement: Senior essay on topic acceptable to Physics and Mathematics depts; oral report on essay to Mathematics dept

MECHANICAL ENGINEERING

Director of Undergraduate Studies: Aris Phillips, 201 BECTON.

OFFICE OF THE DEPARTMENT OF MECHANICAL ENGINEERING

PROFESSOR	ASSOCIATE PROFESSORS	ASSISTANT PROFESSORS
Aris Phillips (Chairman)	Mahadevan Krishnan	Juan Fernandez de la Mora
Chun-Chu Chu	Akhilesh Maewal	Marshall Long
John Onat	Katepalli Sreenivasan	Mitchell Smooke
Aris Phillips		
Robert S. Steeger		

Mechanical engineering is among the most diversified of the traditional engineering disciplines. The mechanical engineer builds machines to extend human physical and mental capabilities and to convert traditional and novel energy resources into useful forms for man and his works.

The mechanical engineer should bring to this enterprise a clear understanding of the fundamentals of mechanics and the thermal energy sciences. Applying these principles, the modern mechanical engineer must also be able to choose the best materials for a given application, be comfortable with a computer terminal making calculations and performing interactive tasks, and be sufficiently familiar with the chemical and electrical sciences, which are often relevant to the total design and realization of a system. These systems typically include thermal, wind, and hydroelectric power plants; internal and external combustion engines; aircraft, hovercraft, and satellites; heating, air-conditioning, and refrigeration systems; hydraulic, magneto-hydrodynamical, and electromechanical equipment (including robots). The mechanical engineer has also played an increasingly important role in the design of instrumentation, prosthetic devices, and biomedical devices for medical applications.

In all these tasks, the utmost consideration of the modern mechanical engineer is the improvement of the quality of human life. He must be fully aware both of the finiteness of the earth's resources and of the impact that his works place on the earth and its ecosystem.

The program in mechanical engineering is designed to provide a broad foundation in the foundations of the disciplines mentioned above, and to prepare students both for graduate studies in these areas and for entry into appropriate positions in research laboratories, industry, or government. There are three types of programs leading to a B.S. or B.A. degree may be taken: a B.S. degree program with a major in Engineering Mechanics, or a B.S. degree program with a major in Engineering Sciences (Mechanical), or a B.A. degree program with a major in Engineering Sciences (Mechanical). All B.S. majors in both programs are advised to complete introductory courses in physics and mathematics through calculus (Mathematics 113a or b) by the end of their first year.

A particular note should be made of the optional course, Mechanical Engineering 185b, which provides an opportunity for Freshmen to learn about mechanical engineering through case studies and a term project. A student's undergraduate engineering program usually coincides with one or more Special Project courses (Mechanical Engineering 472a, 472b) in which the student pursues a particular interest through student-oriented projects and experimental investigations. Projects may be initiated by the student himself, may be performed in a team, or may be

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1985-86

Ezra Stiles, and Trumbull. At the head of each college is a resident master. In each college a dean advises students on both academic and non-academic matters. Associated with the master and the dean as fellows are about fifty members of the faculty drawn from different departments and schools of the University, a few of whom reside in the college and others of whom have offices there.

Upon entrance, each Freshman is assigned to one of the twelve residential colleges. During their first year, all Freshmen are required to live on campus. Except for those Freshmen affiliated with Timothy Dwight or Silliman Colleges, Freshmen live in a quadrangle at the center of the University known as the Old Campus; those living on Old Campus may take a limited number of meals in their college, and they participate fully in its life. After Freshman year most students live on campus in their colleges, with about ten percent of upperclassmen choosing to live off campus. Whether they live on campus or off, undergraduates normally continue as members of the same college throughout their undergraduate careers.

THE UNDERGRADUATE CURRICULUM

One of the distinguishing features of a liberal education is that it has no single definition. Yale consequently does not prescribe any specific course to be taken by a student, but instead urges each undergraduate to design a program of study suited to his own particular needs and interests from the multitude of courses available to college students in a university.

It is also true of a liberal education that it is neither too narrowly focused nor too diffuse. As a matter of educational policy, Yale College has always stood behind the principle of distribution in studies as strongly as it has supported the principle of concentration. Thus Yale requires that each student choose in the later years of college an area of concentration in one of the major programs or departments, while also expecting that the student's course of study be characterized, particularly in the earlier years, by a reasonable diversity of subject matter and approach. The faculty of Yale College has therefore formally declared its support of the principles embodied in the Distributional Guidelines (see GUIDELINES FOR THE DISTRIBUTION OF STUDIES below). In addition, all undergraduates must fulfill the Distributional Requirements, which constitute the only specific rules limiting the selection of courses outside a student's major program.

DISTRIBUTIONAL REQUIREMENTS

Distributional Requirements for the Freshman Year and for the First Two Years. One of the chief objectives of these Distributional Requirements is to assure that in the first two years of their undergraduate education students elect courses from a variety of departments and in this way become exposed to different ideas and various ways of thinking. Many students come to Yale with advanced preparation in one or more fields. Early in their college careers, such qualified students ought to take advantage of any head start they may have in a subject to pursue it at a higher level than would otherwise be possible; a college course in a familiar subject at a more advanced level often discloses unfamiliar aspects of the subject. In addition, in disciplines like mathematics and languages, where the maintenance and improvement

of skills greatly depend on continuing practice, students should be encouraged to lightly to consider interrupting their first years of college. During the first year, students should explore some subjects that they have not explored in high school. Sophomore year students are encouraged to explore some subjects that they have not explored in high school. In choosing Freshman year courses, students should give attention to the requirements of the department or program in which they anticipate having a particular interest, but also to other possibilities. They should not hesitate to change their plans if they find that selected courses wisely will have the time comes to do so.

For these reasons, there are certain requirements that students are expected to fulfill in their first year for the Freshman year and one for the Sophomore year.

1. Distributional Requirement

Freshmen may take no more than six credits in any one Group (except that a student may take as many as seven course credits in a laboratory course may take as many as seven course credits in Group III or IV.

2. Distributional Requirement

In meeting the Distributional Requirements, the student must take at least two credits in each of the four Distributional Groups by the end of the first year of enrollment.

Distributional Requirements for the Bachelor's Degree. Requirements for the Bachelor's degree in all students can continue in a foreign language at the intermediate level in their studies in their major program. Yale does not require prescription of a particular language but encourages undergraduates to pursue intellectual interests, that open themselves through which those interests are pursued in their studies always to that most elite level of the third Distributional Requirement.

3. Distributional Requirement

To qualify for the bachelor's degree, a student must have at least two course credits drawn from outside the major. At least two courses must be taken in the four Groups. A student must have at least two course credits in a foreign language at the intermediate level.

the head of each college is a resident master. students on both academic and non-academic master and the dean as fellows are about fifty n from different departments and schools of m reside in the college and others of whom

nan is assigned to one of the twelve residential ur, all Freshmen are required to live on campus. affiliated with Timothy Dwight or Silliman i quadrangle at the center of the University ose living on Old Campus may take a limited ege, and they participate fully in its life. After s live on campus in their colleges, with about n choosing to live off campus. Whether they aduates normally continue as members of the r undergraduate careers.

GRADUATE CURRICULUM

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DISTRIBUTIONAL REQUIREMENTS

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of skills greatly depend on continuity of application, students ought not lightly to consider interrupting the progress of their studies during their first years of college. During these years, nevertheless, they should also explore some subjects that they have never studied before. At the beginning of Sophomore year students are expected to make at least a tentative choice of the department or program in which they will major; science majors *must* do so. In choosing Freshman and Sophomore courses, therefore, students should give attention to the prerequisites for any major in which they anticipate having a particular interest. But they should not close their minds to other possibilities. They should use the first year to explore, and then not hesitate to change their plans during the second year. Students who have selected courses wisely will have the groundwork to enter most majors when the time comes to do so.

For these reasons, there are two sets of Distributional Requirements that students are expected to fulfill before the end of their Sophomore year: one for the Freshman year and one for the first two years.

1. Distributional Requirements for the Freshman Year.

Freshmen may take no more than four course credits in a single department, and no more than six course credits in a single Distributional Group (except that a student taking a course in a foreign language may take as many as seven course credits in Group I, and a student taking a laboratory course may take as many as seven course credits in Group IV). They must take at least two course credits in Group I or II and two course credits in Group III or IV.

2. Distributional Requirement for the First Two Years.

In meeting the Distributional Requirements for the Bachelor's Degree, the student must take at least two course credits in each of the four Distributional Groups by the end of the student's first four terms of enrollment.

Distributional Requirements for the Bachelor's Degree. The Distributional Requirements for the Bachelor's Degree are intended to assure that by graduation all students can confidently assert that they possess a competence in a foreign language at the intermediate level and that their work, including their studies in their major programs, has been grounded in a sound acquaintance with a variety of fields of inquiry and approaches to knowledge. Yale does not require prescribed courses in specific subjects, but instead encourages undergraduates to design programs that best reflect their own intellectual interests, that open the maximum range of intellectual opportunities through which those interests can be expanded, and that direct their studies always to that most elusive of goals, a liberal education. Thus the third Distributional Requirement relates to the student's entire academic career.

3. Distributional Requirements for the Bachelor's Degree.

To qualify for the bachelor's degree, a student must earn at least twelve course credits drawn from outside the Distributional Group that includes the major. At least two course credits must be drawn from each one of the four Groups. A student must also demonstrate competence in a foreign language at the intermediate level, either by passing the appropriate

*courses or by examination. * No more than six course credits in a single Group may be employed to meet the Distributional Requirements for the Bachelor's Degree, except that a student who takes more than four course credits in order to attain the required level of competence in a foreign language may offer as many as eight course credits in Distributional Group I.*

For the purpose of distribution in Yale College, courses are classified into four Groups according to the following general scheme:†

Group I: language and literature, English and foreign, ancient or modern.

Group II: architecture; art; classical civilization; film; history; history of art; history of science, history of medicine; humanities; music; philosophy; religious studies.

Group III: anthropology; archeology; economics; linguistics; management sciences; organizational behavior; political science; psychology; sociology.

Group IV: astronomy; biology; chemistry; computer science; engineering; forestry and environmental studies; geology and geophysics; mathematics; molecular biophysics and biochemistry; physics; statistics.

Beginning with students entering in 1983, a student is required to demonstrate competence at the intermediate level in a foreign language either upon entrance or before graduation, preferably by the end of Junior year. This requirement may be met by presenting an appropriate Advanced Placement Test score, or by passing an examination at Yale, or by passing an intermediate-level course in a foreign language at Yale. The languages offered at Yale in which a student may attain the required competence are: Arabic, Chinese, Czech, French, German, classical Greek, Hausa, Hebrew, Italian, Japanese, Latin, Polish, Portuguese, Russian, Serbo-Croatian, Spanish, Swahili, and Yoruba. Information about appropriate Advanced Placement Test scores, relevant courses, and the nature of the examinations in these languages is contained in Chapter III in the introductory statements of the departments offering courses in foreign languages.

Students who possess competence in a language other than those listed here, either because it is their native language, or because they learned it abroad or by study at another university, or by some other means, should consult the appropriate Director of Undergraduate Studies or their Residential College Dean to arrange for an examination. Students who, for physiological reasons, are not able to complete the language requirement may petition the Committee on Honors and Academic Standing for a waiver of the requirement. The Committee may, in individual cases and on petition of the student's major program, partially or fully waive the requirement for sound and weighty academic reasons.

*Students who entered Yale College at any time before 1983-84 are not required, in order to qualify for graduation, to demonstrate competence in a foreign language at the intermediate level.

†Some courses may fall into another Distributional Group in addition to the one indicated in this classification. The Group number of a course is the Roman numeral in the data line of the course listed in CHAPTER III.

GUIDELINES FOR TH

Although educated men and that a liberal education should i tions below, which are intended of studies. The specific courses by goals must depend on individual select courses according to a r following Guidelines.

1. It is axiomatic that educated themselves effectively in their ow To suppose that anyone can th clearly is an illusion: words are t who cannot use them skillfully v cating ideas to someone else, bu standing them himself. Students: and preferably several, in which t for clarity of expression. The m such courses is English; its introd 120a or b, 121b, 125, 129) offer frequ many courses in various departm well as in the humanities, provic Among these are courses which h writing; they are designated "Wr

A student should also do form: language effectively depends to a one's reading. A person can ful language, and experience the th study of the uses made of it by it writing with the study of literat own writing while deriving fro possible by his augmented skill. T of one's experience and personal instruction and pleasure for the widely and deeply enlarges the pe or another underlies almost all ini

2. Students should be able to guage other than their own, and s that language. Such abilities incre ity to the use of one's own lang foreign language well enough to s and to read it freely and with enj use, will be an intellectual and pe lifetime. Professionally it can be c potentially international in their physicians, writers, and artists— advantages and opportunities if h preferably several. It is for these Guideline with the requirement tl in a foreign language at the inte Junior year.

Using his skills in language, a st of a foreign language, because

GUIDELINES FOR THE DISTRIBUTION OF STUDIES

Although educated men and women may never agree about everything that a liberal education should include, nearly all do agree on the propositions below, which are intended to serve the student as guides in his choice of studies. The specific courses by which the student achieves his educational goals must depend on individual interests and needs, but all students should select courses according to a reasoned plan that embodies each of the following Guidelines.

1. It is axiomatic that educated men and women should be able to express themselves effectively in their own language, both in speech and in writing. To suppose that anyone can think clearly even though he cannot write clearly is an illusion: words are the most basic tools of thought. A person who cannot use them skillfully will be handicapped not only in communicating ideas to someone else, but also in defining, developing, and understanding them himself. Students should therefore choose at least one course, and preferably several, in which they write papers that are evaluated closely for clarity of expression. The most obvious department in which to find such courses is English; its introductory courses (English 110a, 112a, 115, 116b, 120a or b, 121b, 125, 129) offer frequent opportunities for writing. In addition, many courses in various departments, in the sciences and social sciences as well as in the humanities, provide special attention to prose composition. Among these are courses which have been especially designed to emphasize writing; they are designated "Writing Intensive" (WI) in CHAPTER III.

A student should also do formal course work in English literature. Using language effectively depends to a large extent upon the scope and quality of one's reading. A person can fully grasp the possibilities of the English language, and experience the thought and feeling it opens up, only by a study of the uses made of it by its greatest masters. By joining the study of writing with the study of literature, a student will inevitably improve his own writing while deriving from his reading an increased pleasure made possible by his augmented skill. The study of literature leads to an expansion of one's experience and personal horizons, and is a continuing source of instruction and pleasure for the duration of one's life. Above all, reading widely and deeply enlarges the power of the imagination, which in one way or another underlies almost all intellectual endeavor.

2. Students should be able to understand, speak, read, and write a language other than their own, and should be acquainted with the literature of that language. Such abilities increase subtlety of mind and sharpen sensitivity to the use of one's own language. Students should know at least one foreign language well enough to speak it fluently, if it is a modern language, and to read it freely and with enjoyment. Such a skill, if preserved through use, will be an intellectual and personal asset throughout a person's entire lifetime. Professionally it can be equally important. Most careers today are potentially international in their range. Businessmen, lawyers, teachers, physicians, writers, and artists—anyone in any profession has superior advantages and opportunities if he knows at least one foreign language, and preferably several. It is for these reasons that Yale College augments this Guideline with the requirement that each student demonstrate competence in a foreign language at the intermediate level, preferably by the end of Junior year.

Using his skills in language, a student should also enter into the literature of a foreign language, because only through such study can a person

than six course credits in a single
Distributional Requirements for the
it who takes more than four course
level of competence in a foreign
course credits in Distributional

Yale College, courses are classified into
a general scheme:

English and foreign, ancient or modern.
civilization; film; history; history of
art; music; philosophy;

biology; economics; linguistics; manage-
ment; political science; psychology;

chemistry; computer science; engineer-
ing; geology and geophysics; mathe-
matics; physics; statistics.

In 1983, a student is required to demon-
strate level in a foreign language either
preferably by the end of Junior year.
Presenting an appropriate Advanced
Placement examination at Yale, or by passing an
appropriate language at Yale. The languages
by which to attain the required competence are:
Arabic, Chinese, French, German, Greek,
Hebrew, Italian, Japanese, Latin, Russian,
Serbo-Croatian, Spanish, and Urdu. In-
formation about appropriate Advanced Place-
ment examinations and the nature of the examinations is
given in the introductory statements in
CHAPTER III.

Students who demonstrate competence in a language other than those listed
above, or because they learned it
in high school, or by some other means, should
submit appropriate Undergraduate Studies or their Resi-
dential Standing for an examination. Students who, for
any reason, cannot complete the language requirement
for their Undergraduate Studies and Academic Standing for a waiver
of the requirement, in individual cases and on petition
may, in individual cases and on petition
formally or fully waive the requirement for
the language.

Students who demonstrate competence in a foreign language
at any time before 1983-84 are not required,
but should demonstrate competence in a foreign language

Distributional Group in addition to the one
group number of a course is the Roman numeral
shown in CHAPTER III.

experience another culture fully enough to broaden his range of feeling and judgment. The question of which literature or literatures to study will depend on a student's preparation and future goals. Graduate schools, for example, commonly require a reading knowledge of at least two modern foreign languages (usually French, German, or Russian); for some fields of graduate work, a knowledge of Latin or Greek is required as well. But a student should also consult personal interests and tastes: a student who likes English Romantic poetry, for example, might study French or German Romantic poetry in the original; one who is interested in Spenser or Milton might want to read Virgil in Latin.

In starting a new language in college, students should plan to take at least two years of study or an intensive course covering that amount of material in one year, in order to acquire fluency in speech and writing. They may then proceed to a literature course in that language. Entering Freshmen who have already acquired a high degree of proficiency in one foreign language should seriously consider taking a literature course in that language during their Freshman year, because both skill and confidence in languages can easily wane with a year's disuse.

3. Just as the study of a foreign language and its literature helps to overcome geographical provincialism, so does the study of other times help to correct temporal provincialism. An educated person needs a historical perspective on his own times, and that can come only from studying other civilizations and cultures, either those from which his own culture has developed, or those different from his own. Certainly no student ought to leave college without having studied the history, art, music, philosophy, religion, or literature of the ancient world or the Middle Ages. Ideally, one ought to study the arts, artifacts, and ideas of both the modern and the ancient worlds, but if one must choose between the two, it would be wise to begin with the ancient. As for any student who may not have had a good general course in American history in secondary school, he should obviously take one in college.

4. Mathematics is the basic language of the natural and the social sciences, and has become a useful tool in many of the humanities. So pervasive are mathematical techniques that contemporary men and women may not consider themselves truly educated until they have an understanding of the fundamentals of mathematics. At a minimum students should have a proficiency in mathematics at the level of calculus. Students without this foundation should probably acquire it in Mathematics 111a-114b or 112a-115b before proceeding further. Those wishing to open opportunities for advanced study in a variety of fields other than mathematics may need to take appropriate advanced courses in mathematics. Since not every subject requires the same kind of mathematical knowledge, the most immediately useful course for a student's purpose may not be found in the Mathematics department itself but rather in one or more of the following departments or programs: Computer Science, Economics, Engineering and Applied Science, Molecular Biophysics and Biochemistry, Political Science, Psychology, Sociology, or Statistics. These departments offer courses in the mathematical or statistical methods used in their disciplines. Whatever course a student chooses in order to broaden his mathematical knowledge, however, skill in mathematics should be maintained, because, like language, it is likely to dissipate if it is not used.

5. Acquiring a detailed familiarity with several natural and applied sciences is a practical necessity for some students. For all students, however,

being educated means developing a breadth of knowledge and what it might contribute in the last three hundred years of scientific inquiry and knowledge without "knowing" or how some scientific fathers. Only by studying a science can educated citizens need: an ability to distinguish quackery from responsible science. Studying a science can learn to appreciate both the close theoretical and the careful observational mentalists. Only by studying a science can appreciate a thousand intricate details from casual observation but which, one life.

Students with little previous preparation should take at least one course without prerequisites in all of the Residential College Seminars. Background courses are available for students with more background in the sciences. It is impossible to overemphasize the importance of a study of science early in college, especially for students with an inclination toward scientific careers.

6. Finally, to understand the duties of a citizen in a democratic society, a human being among other human beings, one must have at least one of the social sciences. The social sciences often rely heavily on mathematics rather than on things. At a time when technical problems are increasing, the future of mankind depends significantly on the insights achieved through the study of social systems, governments, economics, and are learning about living together. Mathematics is a necessary tool to have a knowledge of the cultures of Eastern and Western Europe, Asia, and Africa, as well as of those of Western Europe. Yale curriculum contains a wide variety of courses in these areas.

What a student ultimately derives from a study of these sciences ultimately depends in large measure upon his own study. In fulfilling these Guidelines, as in all other aspects of his education, students should seek broadly for their own interests, with the help of advisers and Residential College Deans, and with the assistance of graduate Studies or other faculty members. No adviser will prescribe a program. No adviser will prescribe a program. The responsibility of shaping a program is the student's. He should make use of all the advice available in the program. It would be impossible, and so the student should attempt to map out at the beginning of his program. Yet it is important to plan with these principles in mind for the next eight terms.

Although these Guidelines are not a checklist, a student must display proficiency in a foreign language if his program will reflect these

ough to broaden his range of feeling and literature or literatures to study will and future goals. Graduate schools, for ling knowledge of at least two modern German, or Russian); for some fields of latin or Greek is required as well. But a d interests and tastes: a student who likes mple, might study French or German ne who is interested in Spenser or Milton

lege, students should plan to take at least course covering that amount of material uency in speech and writing. They may se in that language. Entering Freshmen h degree of proficiency in one foreign r taking a literature course in that lan- ir, because both skill and confidence in ar's disuse.

gn language and its literature helps to ism, so does the study of other times help .. An educated person needs a historical that can come only from studying other those from which his own culture has h his own. Certainly no student ought to died the history, art, music, philosophy, at world or the Middle Ages. Ideally, one , and ideas of both the modern and the hoose between the two, it would be wise ny student who may not have had a good / in secondary school, he should obviously

uage of the natural and the social sciences, many of the humanities. So pervasive are ntemporany men and women may not d until they have an understanding of the a minimum students should have a profil of calculus. Students without this foun- it in Mathematics 111A-114b or 112A-115b e wishing to open opportunities for ad- other than mathematics may need to take mathematics. Since not every subject ractical knowledge, the most immediately ose may not be found in the Mathematics ic or more of the following departments or Economics, Engineering and Applied Sci- iochemistry, Political Science, Psychology, :partments offer courses in the mathemat- their disciplines. Whatever course a student mathematical knowledge, however, skill in ned, because, like language, it is likely to

arity with several natural and applied sci- some students. For all students, however,

being educated means developing a broad view of what science is, what it has achieved, and what it might continue to achieve. One can be aware that in the last three hundred years science has come to be synonymous with rational inquiry and knowledge without realizing what a scientist means by "knowing" or how some scientific facts are more prone to change than others. Only by studying a science can one develop the critical faculties that educated citizens need: an ability to evaluate the opinions of "experts," to distinguish quackery from responsible science, and to realize which things are known and which unknown, which are knowable and which unknowable, to science. Studying a science reveals new patterns of thought. One can learn to appreciate both the close analysis and deductive reasoning of theoreticians and the careful observations and manipulative skill of experimentalists. Only by studying a science can one share the excitement, delight, puzzlement, and beauty that scientists find in their work. To know science is to appreciate a thousand intricate coherences in nature, which are hidden from casual observation but which, once known, lend richness to everyday life.

Students with little previous preparation will find introductory science courses without prerequisites in all of the science departments and among the Residential College Seminars. Introductory courses on other levels are available for students with more background and for prospective science majors. It is impossible to overemphasize the advantages of beginning the study of science early in college, especially for those students with any inclination toward scientific careers.

6. Finally, to understand the duties and problems facing everyone as a human being among other human beings, students should become familiar with at least one of the social sciences. Like the natural sciences, the social sciences often rely heavily on mathematics, but their emphasis is on people rather than on things. At a time when the population of the world and its problems are increasing, the future of mankind's achievements may depend significantly on the insights achieved through the social sciences. An educated person should have some understanding of what men have learned and are learning about living together. Modern Americans especially ought to have a knowledge of the cultures of Eastern Europe, Asia, Africa, Latin America, as well as of those of Western Europe and their own country. The Yale curriculum contains a wide variety of courses on these areas, dealing with social systems, governments, economies, histories, and cultures.

What a student ultimately derives from four years of study at Yale obviously depends in large measure upon his careful planning of a program of study. In fulfilling these Guidelines, as in pursuing their other educational goals, students should seek broadly for informed advice, from their faculty advisers and Residential College Deans, and from Directors of Undergraduate Studies or other faculty members in the various departments and programs. No adviser will prescribe a particular set of courses, and the responsibility of shaping a program is the student's, but each student should make use of all the advice available in order to plan the most effective program. It would be impossible, and surely imprudent, for a student to attempt to map out at the beginning of his studies a firm schedule of courses for the next eight terms. Yet it is important for the student to think ahead, and always to plan with these principles in mind.

Although these Guidelines are not actual requirements (except that a student must display proficiency in a foreign language), Yale College expects that a student's program will reflect these principles. Every student's pro-

program must be approved by his dean and adviser, and every reasonable program will be approved. A student whose program departs markedly from the Guidelines will be obliged to persuade the Residential College Dean and faculty program adviser that it will still achieve for the student in its own way the goals of a liberal education.

MAJOR PROGRAMS

Students seeking the B.S. or the B.A. degree with a major in science are expected to elect their majors at the beginning of Sophomore year, although a major in science may still be elected later if the student has completed the courses required to enter it. Sophomores interested in majoring in science should have their schedules approved by the Director of Undergraduate Studies or adviser designated by the department in which they wish to major. Students seeking the B.A. degree with a major in a field other than a science are expected to elect their major at the beginning of Junior year. The schedules for Sophomore year of these students must be signed by a Sophomore adviser, chosen by the student, with whom the program has been discussed.

All candidates for a bachelor's degree in Yale College must elect one of the major programs listed on page 28. The requirements for a major are described in general terms in the sections below, and in more detail at the beginning of the course descriptions of each department or program in CHAPTER III. In every case students plan their schedule of courses in their major subjects or fields in consultation with a representative of the department or program concerned, and must secure the consultant's written approval. Students should acquaint themselves fully with all the requirements of the major they plan to enter, considering not only the immediate choice of courses but also the plan of their entire work in the last two or three years in college.

SELECTION OF A MAJOR

In designing a program of study, the student ought to plan for depth of concentration as well as breadth of scope. To study a subject in depth can be one of the most rewarding and liberating experiences a person can secure and can form the basis of the interests and occupations of a lifetime. Although no one should specialize to the neglect of distribution, knowledge advances by specialization, and one can gain some of the excitement of discovery by pressing toward the outer limits of human knowledge in a particular field. Intense study of a seemingly narrow area of investigation will often disclose ramifications and connections that alter perspectives on every other subject. Such study also sharpens a person's judgment and acquaints him with processes by which new truths can be found.

In order to expose themselves to this kind of experience, students must choose a field of study that will be their major field, that is, the subject in which they will work more intensively than they do in any other. A list of possible majors in Yale College from which such a choice is to be made is given below on page 28. Specific requirements for each major are established by the department or program concerned and are explained in CHAPTER III.

Some students will have made a tentative choice of a major before entering college. Others will have settled on a general area—for example,

the natural sciences or the humanities. If a student has not chosen a particular department or program they are completely undecided. Past experience whose minds made up often change their who feel certain of their choices should change. In selecting courses during their in mind not only the application of the the need for a preliminary exploration drawn, in order to become aware of the

As in the case of the Guidelines, the in designing a program, but once agreed in selecting courses.

1. In most of the humanities and social from elementary to advanced courses. example, English, psychology, or history because there are few prerequisites, at the Freshman or Sophomore year, or work done in secondary school.

2. In some other fields of study, such subjects as foreign languages and literature taken in chronological order from the to major in one of these fields, the student Freshman year. If the initial courses are too late to begin a major in these Freshman courses are prerequisites for

3. In order, therefore, to attain the options for the upperclass years, each his probable choices of a major before has even a remote interest in majoring in the work of the Freshman year a certain courses in the natural sciences, one of

4. No matter what major a student language required in the Distribution Degree is bound to be useful in his study. ably use a foreign language would be or Sophomore year courses that will intends postgraduate study should know Ph.D. degree usually include a reading commonly French, German, or Russian.

5. Many of the courses open to Fresh in secondary school. Students will prefer Freshman courses in areas in which they tarity and interest, but for the sake of being unduly limited in their range of some courses in fields that are wholly

THE MAJOR

The major consists of a number of program usually includes twelve terms Junior and Senior years. Majors are departmental or interdisciplinary programs, a limited number of courses